

DEEP LEARNING THE SOLUTION TO ALL MY PROBLEMS... RIGHT? Corentin Lapeyre | COOP/CSG | 2017-06-27

The hype



The hype



- Artificial Intelligence (AI) and specifically Deep Learning (DL) are exploding
- * Forrester: 16% of current US jobs replaced by 2025

Deep Learning everywhere



Deep Learning for everyone



Deep Learning for everyone

Caffe

theano

TensorFlow

Google

Deep Learning for everyone

Caffe

TensorFlow Google



theano

Deep Learning for everyone Caffe **K** Keras TensorFlow Google torch mxnet theano CUDNN

4

Deep Learning for everyone Caffe **K** Keras **TensorFlow** Google torch mxnet theano Everybody wants you to use their framework

New stuff?

Cybernetics

1940 1960

1940 1960 perceptron

Cybernetics

New stuff?





Connectionism

1940 1960 perceptron

1980 1990 cognitron neocognitron



techniques, combined with increased computational power

ImageNet challenge winner error rate (%)









Deep learning became the superstar in 2012. Since then, nothing compares to it for this challenge



Same happened to the PASCAL Visual Object Classes challenge, etc...

Deep learning became the superstar in 2012. Since then, nothing compares to it for this challenge

WHAT THE HECK IS DEEP LEARNING?

I DID A REGRESSION ONCE. IT'S DEEP LEARNING, RIGHT?

Hand designed program

Rule based systems

Input

Hand designed program

Rule based systems

Hand designed features

Mapping from features

Machine learning

Input







Rule based systems

Machine learning

Representation learning Deep learning









This is very powerful, but can be very inefficient.





- * Machine learning strategy:
- observe the training data to learn the features
 - not learn the noise



- * Machine learning strategy:
- observe the training data to learn the features
 - not learn the noise

generalize well to the test data (good prediction)



- * Machine learning strategy:
- observe the training data to learn the features
 - not learn the noise

generalize well to the test data (good prediction)



Machine learning

Data



Test

Train

Machine learning

Data



X→ Function to learn

Test

Train



Data



Train

ууууууууууууу

Test

X→ Function to learn → **y**' ~ **y**

11












Human fitting : « Hey, this looks like a 2nd order polynomial »



















Human fitting : « Hey, this looks like a 2nd order polynomial » Learned fitting :

Underfitting





Human fitting : « Hey, this looks like a 2nd order polynomial » **Learned fitting :**

Underfitting

>



ameters than training examples. We have little chance of choosing a solution tip this example

t generalizes well when so many wildly different solutions exist. In this example, quadratic model is perfectly matched to the true structure of the task so it eralizes well to new data.



The order N is called the capacity

are 5.2: We fit three models to this example training set. The training data was erated synthetically, by randomly sampling x values and choosing y deterministically evaluating a quadratic function. (*Left*) A linear function fit to the data suffers from erfitting—it cannot capture the curvature that is present in the data. (*Center*) A dratic function fit to the data generalizes well to unseen points. It does not suffer from gnificant amount of overfitting or underfitting. (*Right*) A polynomial of degree 9 fit to data suffers from overfitting. Here we used the Moore-Penrose pseudoinverse to solve underdetermined normal equations. The solution passes through all of the training its exactly, but we have not been lucky enough for it to extract the correct structure. ow has a deep valley in between two training points that does not appear in the true erlying function. It also increases sharply on the left side of the data, while the true etion decreases in this area.

So far we have only described changing a model's capacity by changing the other of input features it has (and simultaneously adding new parameters ociated with those features). There are in fact many ways of changing a model's acity. Capacity is not determined only by the choice of model. The model

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Deep Learning is...

- * a form of Machine Learning
- It specializes in data where the fit function is very hard to express (like image processing)

Traditional approaches	Deep Learning
Manual pre-selection of data to concentrate on important features	Input the « raw » data, to include maximum features

Striking a balance

- * The full game of Deep Learning is:
 - to be able to express complex functions to represent the features in the raw data
 - achieve good generalization to new data: avoid overfitting

Machine learning
$$y = ax^b + c$$

Deep learning $y = \sum_{i=0}^{N} a_i x^i$

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$$y = ax^b + c$$
Problem: you must guess the functionDeep learning $y = \sum_{i=0}^{N} a_i x^i$ You don't need to know it. But
dangerous: very prone to overfitting!

THE CURSE OF BIG DIMENSIONALITY

Raw data has high dimension

	T								
							1997		
							1000		
									2.0
	8	803	555	655	1759	1.03	555		
22	1 3/4	3.82	No.	100		22	223	1.26	2.4

* 28 x 28 pixel image = 784 independent dimensions

Raw data has high dimension





* 28 x 28 pixel image = 784 independent dimensions

* 256 x 256 pixel image with 3 color channels = 196,608 independent dimensions!!

High dimension sucks

High dimension sucks

Very High dimension sucks exponentially more













The n-ball volume ratio tends to
 0 (fast) in high dimension



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 0 (fast) in high dimension
- Most points are « in the corners »



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The number of corners explodes too!



Most points are « in the corners »
Example: 2D images (with 256 levels / channel)

Dimensions	Space size	Number of corners		
784	10 ^{1,888}	10 ²³⁶		

			-			24	
					-		
					53		
	2010						
192	38			1	200	24	1

Example: 2D images (with 256 levels / channel)

Dimensions	Space size	Number of corners		
784	10 ^{1,888}	10²³⁶		
196,608	10 ^{473,479}	10 ^{59,185}		





- * Key take aways in high dimension
 - « I have a LOT of samples! »

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 => No, you don't. They are <u>very sparse</u>

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 - You are learning a function using no points in the middle and almost none in the corners... See the problem?

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This is a case of <u>extreme</u> generalization

How do we solve this?

Using prior knowledge

n

 $N = n^2$

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- Classical machine learning (random forest, clustering...)
 - prior = smoothness
 - Number of examples needed: O(N) (several per square)

Using prior knowledge

$\mathbf{N} = \mathbf{N}^2$

- Classical machine learning (random forest, clustering...)
 - prior = smoothness
 - Number of examples needed: O(N) (several per square)
- Deep neural network: build your own function using *prior knowledge*
 - Ex: texture
 - End result: O(log(N)) points needed!







Let's take 28x28 images :



How long before I get this ?



5.11.3 Manifold Learning

The manifold. A manifold.

Let's take 28x28 images :



How long before I get this ?



An important concept underlying many ideas in machine learning is that of manifold.

A manifold is a connected region. Mathematically, it is a set of points, associat with a neighborhood around each point. From any given point, the manifold loca appears to be a Euclidean space. In everyday life, we experience the surface of t world as a 2-D plane, but it is in fact a spherical manifold in 3-D space.

The definition of a neighborhood surrounding each point implies the exister of transformations that can be applied to move on the manifold from one positi to a neighboring one. In the example of the world's surface as a manifold, one of walk north, south ease of vest. It space is nuge

Although there is a formal mathematical meaning to the term "manifol in machine learning in tends to be used more loosely to designate a connect set of points that can be approximated well by considering only a small numb of degrees of freedom. Ordinergions, embedded in a higher-dimensional spa Each dimension corresponds to a local direction of variation. See Fig. 5.11 for example of training data lying near a one-dimensional manifold embedded in tw dimensional space. In the context of machine learning, we allow the dimensional of the manifold to vary from one point to another. This often happens when manifold intersects itself. For example, a figure eight is a manifold that has a sing dimension in most places but two dimensions at the intersection at the center.



Figure 5.11: Data sampled from a distribution in a two-dimensional space that is actu

Deep Learning Priors

- The data is *inside* a high dimensional space, but the manifold of interest is much smaller
- The data comes from a composition of features
- The features can assemble at several levels of hierarchy

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- Wait a minute... you said :

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Deep Learning Priors

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- The data comes from a composition of features
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Wait a minute... you said :

Machine learning
$$y = ax^b + c$$

Deep learning
$$y = \sum_{i=0}^{\infty} a_i x_i$$

This is not like general machine learning:
> you do not specify the fitted function
> you only give these « vague » priors
> they are enough for the function to focus on the manifold of « important » points

ARTIFICIAL NEURAL NETWORKS TO THE RESCUE



Cat brain (sorry...)

Hubel, David H., and Torsten N. Wiesel. "Receptive fields, binocular interaction and functional architecture in the cat's visual cortex." The Journal of physiology 160.1 (1962): 106-154.

 Loosely inspired from biological systems



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* Number of neurons and PTER 1. DOBDOODOOTIONS now reaching mammalian values



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re 1.11: Since the introduction of hidden units, artificial neural networks have doubled ize roughly every 2.4 years. Biological neural network sizes from Wikipedia (2015).

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						133	20	
		3		22	131			
					1993	239	12	
		-					0.00	
			97457	2004	25.6	1992	263	222
122		1	23				1	





















Play around! http://playground.tensorflow.org/


Is my function a neuron?



Is my function a neuron?



$$y = \max(x_1 w_1 + x_2 w_2, 0)$$

Is my function a neuron? $x_1 \xrightarrow{W_1} \xrightarrow{W_1} \xrightarrow{Y} y = \max(x_1w_1 + x_2w_2, 0)$ $x_2 \xrightarrow{W_2} \xrightarrow{W_2} y$

- Neural nets are just computational graphs
- You can represent many (any?) operations with neural nets
- * But it does not mean you are doing deep learning...

DEEP CLASSIFIERS

Example: the MNIST dataset

- Large database of handwritten digits (stored as 28x28 pixel images)
- You recognize these instantly...
- … but how can we build a net that recognizes them?

00000000000 22222222 333333333 44444444444 555555555 666666666 ファファファフッグファ 8888888888 9999999999999

A simple neural net



- Simple « Multi-Layer Perceptron » (MLP)
 - 28x28 = 784 pixels on input
 - $0 \rightarrow 9$: 10 outputs
 - 1 hidden layer

A simple neural net



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91.5% accuracy = 8.5% error

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With enough neurons and depth, you can replicate any function!

35

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Yes. But, this becomes cumbersome fast...

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Especially for big input images (e.g. 256x256 px)

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Yes. But, this becomes cumbersome fast...

Especially for big input images (e.g. 256x256 px)

To improve this approach, the neurons can be connected differently

Image filters (Gimp docs)







This is in effect a <u>convolution</u> of the image by the filter

Base



Edge detection







Sharpen

	0	0	0	0	0
	0	0	-1	0	0
A. P. S.	0	-1	5	-1	0
Constant Constant	0	0	-1	0	0
New York	0	0	0	0	0



Sharpen

	0	0	0	0	0
	0	0	-1	0	0
	0	-1	5	-1	
CONSCIENTING OF	0	0	-1	0	0
New New York	0	0	0	0	0



Building smarter layers

hidden layer 1 $\,$ hidden layer 2 $\,$ hidden layer 3 $\,$



Fully Connected Layer

Building smarter layers

hidden layer 1 hidden layer 2 hidden layer 3



Fully Connected Layer

Shared weights using <u>convolution</u> :

You learn the kernel weights, then share over the full input



Deep MNIST

LeNet-5 (1998) : ~1% error



Fig. 2. Architecture of LeNet-5, a Convolutional Neural Network, here for digits recognition. Each plane is a feature map, i.e. a set of units whose weights are constrained to be identical.

Y. LeCun, L. Bottou, Y. Bengio, and P. Haffner, <u>Gradient-based learning</u> applied to document recognition, Proc. IEEE 86(11): 2278–2324, 1998

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Best result today: 0.21% error (less than humans!)

Li Wan, Matthew Zeiler, Sixin Zhang, Yann LeCun, Rob Fergus <u>Regularization of Neural</u> <u>Network using DropConnect</u>, International Conference on Machine Learning 2013



IM GENET

Popular AI challenge:

- Crowdsourced
 labeling of image
 database (14 million
 labeled images)
- Competing algorithms try to classify them

ImageNet classification challenge



IM GENET



Popular AI challenge:

Crowdsourced
 labeling of image
 database (14 million
 labeled images)

Competing algorithms try to classify them

Wait, 14 million??

Amazon calls it « Human Intelligence Tasks »





HOW TO



Wait, 14 million??

Amazon calls it « Human Intelligence Tasks »



It's probably pretty boring though...



Images are Big Data
 compared to MNIST



Images are Big Data compared to MNIST





AlexNet: ImageNet 2012 winner

Images are **Big Data** compared to MNIST





AlexNet: ImageNet 2012 winner

GoogLeNet: ImageNet 2014 winner



Deeper and deeper...







Deeper and deeper...







How do I use this?

- * Do not expect to make sense of the function.
 - GoogleNet (22 layers) = 11,193,984 parameters
 - ResNet (153 layers) = 25,636,712 parameters
- * Deep neural classifiers are high performers
- * But « artificial intelligence » is not just about classification! Can it do anything else?

ARTIFICIAL « INTELLIGENCE »

« Most of human and animal learning is unsupervised learning »

-Yann LeCun
« Most of human and animal learning is unsupervised learning »



Big deal :

« Most of human and animal learning is unsupervised learning »

-Yann LeCun

Big deal : * Founding Director of the NYU Center for Data Science

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Big deal :

Founding Director of the NYU Center for Data Science
Director of Al research at Facebook





Reinforcement learning



Reinforcement learning

Supervised learning





Reinforcement learning

The cherry!



 Input: a game. Output: the score. No limit to the number of playthroughs





Reinforcement learning

The cherry!



 Input: a game. Output: the score. No limit to the number of playthroughs





Supervised learning

The icing!

- Learn to predict from a finite set of labeled data
- * Example: classifiers IMAGENET
- * Great, but needs a lot of data...

The cake!



 To teach a child to recognize a cat, he doesn't need to see 1 million cats

The cake!



 To teach a child to recognize a cat, he doesn't need to see 1 million cats

Supervised learning



cat!



cat



cat!

The cake!



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Supervised learning







cat



cat!





The cake!



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Unsupervised learning









Good! That's called a cat

« True » Al is unsupervised

- * « Intelligent » beings infer relations / classes
- * They gather unlabeled information at all times
- * Then learn the names for them quickly

Unsupervised example: the autoencoder



Autoencoder

Unsupervised example: the autoencoder



High dimension

High dimension

Autoencoder

Unsupervised example: the autoencoder



Autoencoder

High dimension

dimension

- * Success means:
 - meaningful features have been extracted at the bottleneck *without guidance*
 - they are a low dimensional representation of most important features

GREAT. SO HOW DO WE USE IT?

GREAT. SO HOW DO WE USE IT?

GENERATIVE ADVERSARIAL NETWORKS

« Generative Adversarial Networks is the most interesting idea in the last ten years in machine learning »

-Yann LeCun

The big deal guy









It's a Mona!





Can answer a specific question = low dimensional output


















Adverserial generators



GAN examples



Generated bedroom images

GAN examples



Realistic images according to CIFAR-10 dataset



The generator can be tweaked to accept an input



The generator can be tweaked to accept an input



The generator can be tweaked to accept an input



INPUT



OUTPUT



INPUT



OUTPUT





INPUT



OUTPUT



INPUT





INPUT



OUTPUT



live test (you draw!) at: https://affinelayer.com/pixsrv/

INPUT



OUTPUT



INPUT





INPUT



OUTPUT









OUTPUT

live test (you draw!) at: https://affinelayer.com/pixsrv/

SRGAN

Super - Resolution GAN

- * Output: 64x64 images (from the Large-scale CelebFaces Attributes dataset)
- * Input: degraded 16x16 image
- * GAN learns to reproduce « credible » images



Google + (RAISR)

https://blog.google/products/google-plus/saving-you-bandwidth-through-machine-learning/

The Keyword Latest Stories Product News Topics

GOOGLE+

G

JAN 11, 2017

Saving you bandwidth through machine learning

John Nack PRODUCT MANAGER, GOOGLE+



Q

Google + (RAISR)

https://blog.google/products/google-plus/saving-you-bandwidth-through-machine-learning/

original 1000 x 1500, <mark>100kb</mark>



Instead of requesting a full-sized image, G+ requests just 1/4th the pixels... raisr 1000 x 1500, <mark>25kb</mark>



...and uses **RAISR** to restore detail on device

Style Transfer

Picasso

van Gogh

Monnet







Recurrent NN:



* Recurrent NN:



* Recurrent NN:



Recurrent NN:

e.g. LSTM (Long Short-term Memory), a convolution over time. Used in speech recognition



Recurrent NN:

- e.g. LSTM (Long Short-term Memory), a convolution over time. Used in speech recognition
- Variational Autoencoders: another unsupervised generative model like GANs



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 generative model like GANs

* U-Nets :





DEEP LEARNING IN CFD: SOME EXAMPLES

Post Processing

	POD / DMD	Deep Neural Networks
Computational speed		
Physically interpretable		
Ability to capture multi-scale		
Invariance by rotation/scaling		

Suggestion: propose a dataset for a fluid mechanics challenge (like ImageNet)

Kutz, J. Nathan. "Deep learning in fluid dynamics." Journal of Fluid Mechanics 814 (2017): 1-4.

RANS modelling



Input: S and R (strain / rotation rate tensors)

Output: Reynolds stress anisotropy tensor

- Authors compared a simple MLP (not great) with a smarter NN accounting for rotational invariance
- They obtained excellent predictions (much better than a quadratic eddy viscosity model)

Ling, Julia, Andrew Kurzawski, and Jeremy Templeton. "Reynolds averaged turbulence modelling using deep neural networks with embedded invariance." Journal of Fluid Mechanics 807 (2016): 155-166.

LBM imitation



Signed Distance Function

Guo, Xiaoxiao, Wei Li, and Francesco Iorio. "Convolutional neural networks for steady flow approximation." Proceedings of the 22nd ACM SIGKDD International Conference on Knowledge Discovery and Data Mining. ACM, 2016.

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LBM imitation



Signed Distance Function

128×64×32

64×32×256

Conv

256×128

4×4×512

FullCo

1024

8×8×512

OpenLB (Karlsrühe) and « Proprietary LBM solver » (autodesk)



Guo, Xiaoxiao, Wei Li, and Francesco Iorio. "Convolutional neural networks for steady flow approximation." Proceedings of the 22nd ACM SIGKDD International Conference on Knowledge Discovery and Data Mining. ACM, 2016.

x-compo of CFD

of CFD

256×128

Chemistry

 Expensive chemical schemes operate over wide ranges of input parameters

Composition T, P

Detailed chemistry

Chemical source terms

Under review...

Chemistry

 Expensive chemical schemes operate over wide ranges of input parameters



Chemistry

 Expensive chemical schemes operate over wide ranges of input parameters



More importantly...

Anything else you can think of!

CONCLUSION

* Machine learning is on the rise...

- * Machine learning is on the rise...
- * ...but Deep learning can be <u>breathtaking</u>. Now is the time to ride the tide!

- * Machine learning is on the rise...
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If you want to get your hands dirty, just ask! Tensorflow / Theano already run at CERFACS

How do I start?

from keras.layers import Input, Dense, Conv2D, MaxPooling2D, UpSampling2D
from keras.models import Model
from keras import backend as K
from keras.datasets import mnist
import numpy as np

input_img = Input(shape=(28, 28, 1))

```
x = Conv2D(16, (3, 3), activation='relu', padding='same')(input_img)
x = MaxPooling2D((2, 2), padding='same')(x)
x = Conv2D(8, (3, 3), activation='relu', padding='same')(x)
x = MaxPooling2D((2, 2), padding='same')(x)
x = Conv2D(8, (3, 3), activation='relu', padding='same')(x)
encoded = MaxPooling2D((2, 2), padding='same')(x)
```

at this point the representation is (4, 4, 8) i.e. 128-dimensional

```
x = Conv2D(8, (3, 3), activation='relu', padding='same')(encoded)
x = UpSampling2D((2, 2))(x)
x = Conv2D(8, (3, 3), activation='relu', padding='same')(x)
x = UpSampling2D((2, 2))(x)
x = Conv2D(16, (3, 3), activation='relu')(x)
x = UpSampling2D((2, 2))(x)
decoded = Conv2D(1, (3, 3), activation='sigmoid', padding='same')(x)
autoencoder = Model(input img, decoded)
```

autoencoder = Model(Input_Img, decoded)
autoencoder.compile(optimizer='adadelta', loss='binary_crossentropy')

```
(x_train, _), (x_test, _) = mnist.load_data()
```

A fully convolutional autoencoder: 40 lines of code



A few lines of python / lua / java and you're off

Going further

- * I have left out a lot of swear words here: cross-entropy, backpropagation, dropout, pooling...
- The web has tremendous amounts of ressources on the subject. Tutorials, webbooks, videos...
- This book is in the library → (also online)



Thanks for coming!

For this talk and more ressources, visit :

Corentin J. Lapeyre

Blog Media Resur

Resume Research About

Ressources for Deep Learning

Jun 15, 2017

What's this for?

This page is meant to gather the various resources I find on the topic of Deep Learning.

Learning about Deep Learning

Neural Nets

Introductory material:

- THE BOOK. Just read this, it's great.
- Another good (partial) web book.
- An intuitive explanation of convnets.
- The GIMP user manual shows what image convolution does.
- A 3D visualization of the MNIST net activation.
- Really cool blog with visual representations of neural nets.
- Good slides by Yann LeCun.
- · Various grouped resources from an Armenian lab.
- A Google engineer did a very big blog on this subject.

https://clapeyre.github.io > Blog > Ressources for Deep Learning

Or just come to see me and we can talk :)

